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sec(s)

MTH631 - Real Analysis II (Quiz # 1)

Quiz Start Time: 10:29 AM, 23 November 2023

Question # 5 of 10 (Start time: 10:33:06 AM, 23 November 2023)

Total Marks: 1

The term by term differentiation of the series

$$\sum_{n=0}^{\infty} (-1)^n \frac{x^{2n}}{(2n)!}, \quad -\infty < x < \infty$$

becomes

Select the correct option

Reload Math Equations

☐ $\sum_{n=20}^{\infty} (-1)^n \frac{x^{2n+1}}{(2n+1)!}, \quad -\infty < x < \infty.$

☐ $\sum_{n=0}^{\infty} \frac{x^{2n}}{(2n)!}, \quad -\infty < x < \infty.$

☒ $\sum_{n=0}^{\infty} (-1)^n \frac{x^{2n+1}}{(2n+1)!}, \quad -\infty < x < \infty$

☐ $\sum_{n=0}^{\infty} (-1)^n \frac{x^{2n}}{(2n)!}, \quad -\infty < x < \infty.$

Click to Save Answer & Move to Next Question

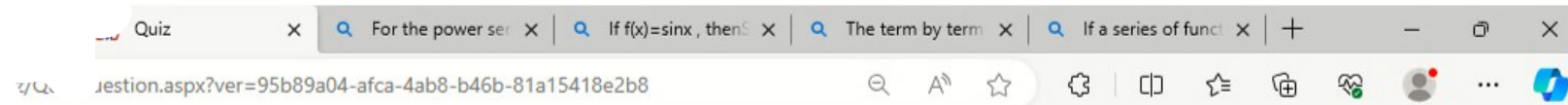


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10:34 am
23/11/2023

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MTH631 - Real Analysis II (Quiz # 1)

Quiz Start Time: 10:29 AM, 23 November 2023

Question # 6 of 10 (Start time: 10:34:34 AM, 23 November 2023)

Total Marks: 1

If a series of functions converges uniformly on a set S , then it ----- converge(s) absolutely uniformly on S .

Select the correct option

necessarily



does not necessarily



Click to Save Answer & Move to Next Question



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LMS Quiz

For the power series, c

If $f(x) = \sin x$, then Select

The uniform converge

ion.aspx?ver=8034f324-7921-46b1-9fae-ab2fc08b2f4c

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62
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MTH631 - Real Analysis II (Quiz # 1)

Quiz Start Time: 10:29 AM, 23 November 2023

Question # 7 of 10 (Start time: 10:35:15 AM, 23 November 2023)

Total Marks: 1

The uniform convergence of the sequence of functions preserves

Select the correct option

Reload Math Equations

- ☐ integrability only
- ☐ continuity and integrability
- ☒ continuity only
- ☐ continuity and differentiability

Click to Save Answer & Move to Next Question

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10:36 am
23/11/2023

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Time Left 44 sec(s)

Mathematical Analysis II (Quiz #1)

Quiz Start Time: 10:29 AM, 23 November 2023

Question # 8 of 10 (Start time: 10:36:07 AM, 23 November 2023)

Total Marks: 1

If $f(x) = \sum_{n=0}^{\infty} a_n (x - x_0)^n$, having $R > 0$ as a radius of convergence, and $f(x)$ is continuous and differentiable in its interval of convergence, then radius of convergence of $f'(x)$ is -----.

Reload Math Equations

Select the correct option

- ☐ $\frac{1}{R}, R \neq 0$
- ☒ also R ✓
- ☐ $R + h, h > 0$
- ☐ $R - h, h < 0$

Click to Save Answer & Move to Next Question

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Quiz

For the power

If $f(x) = \sin x$, th

The uniform c

If $f(x) = \sum_{n=0}^{\infty}$

For $x=1$, the n

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MTH631 - Real Analysis II (Quiz # 1)

Quiz Start Time: 10:29 AM, 23 November 2023

Question # 9 of 10 (Start time: 10:37:23 AM, 23 November 2023)

Total Marks: 1

For $x = 1$, the n th partial sum S_n of the series:
 $1 + x + x^2 + \dots + x^{n-1}$, is ----.

Select the correct option

Reload Math Equations



$2n$



$n-1$



n



$n+1$

Click to Save Answer & Move to Next Question

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10:38 am
23/11/2023

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Quiz x For the power x If $f(x)=\sin x$, th x The uniform c x If $f(x)=\sum_{n=0}^{\infty}$ x For $x=1$, the n x
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Time Left 63 sec(s)

MTH631 - Real Analysis II (Quiz # 1)

Quiz Start Time: 10:29 AM, 23 November 2023

Question # 9 of 10 (Start time: 10:37:23 AM, 23 November 2023)

Total Marks: 1

For $x = 1$, the n th partial sum S_n of the series:
 $1 + x + x^2 + \dots + x^{n-1}$, is ----.

Reload Math Equations

Select the correct option

- | | |
|----------------------------------|-------|
| ☐ | $2n$ |
| ☐ | $n-1$ |
| ☒ | n |
| ☐ | $n+1$ |

Click to Save Answer & Move to Next Question

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Time Left 36 sec(s)

MTH631 - Real Analysis II (Quiz # 1)

Quiz Start Time: 10:29 AM, 23 November 2023

Question # 10 of 10 (Start time: 10:38:11 AM, 23 November 2023)

Total Marks: 1

$\tan x$ is an odd function, its derivatives of even order are equal to

Select the correct option

Reload Math Equations

☐ π at $x_0 = 0$.

☒ 0 at $x_0 = 0$.



☐ $\tan x \sec x$ at $x_0 = 0$.

☐ 1 at $x_0 = 0$.

Click to Save Answer & Move to Next Question

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For the sequence of functions, uniform convergence $\Rightarrow$ Point-wise convergence.

Time Left 72 sec(s)

MTH631 - Real Analysis II (Quiz # 1)

Quiz Start Time: 10:41 AM, 23 November 2023

Question # 1 of 10 (Start time: 10:41:29 AM, 23 November 2023)

Total Marks: 1

For the sequence of functions, *uniform convergence* $\Rightarrow$ Point - wise convergence.

Select the correct option

Reload Math Equations

True



False



Click to Save Answer & Move to Next Question

Type here to search

10:42 am
23/11/2023

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Time Left 58 sec(s)

MTH631 - Real Analysis II (Quiz # 1)

Quiz Start Time: 10:41 AM, 23 November 2023

Question # 2 of 10 (Start time: 10:42:02 AM, 23 November 2023)

Total Marks: 1

A sequence of integrable functions converging uniformly to an integrable function, the limit of integrals is -----equal to the integral of limit function.

Select the correct option

necessarily



not



Click to Save Answer & Move to Next Question



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LMS Quiz

For the sequence of fu

A sequence of integral

For the power series; f

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sec(s)

MTH631 - Real Analysis II (Quiz # 1)

Quiz Start Time: 10:41 AM, 23 November 2023

Question # 3 of 10 (Start time: 10:42:55 AM, 23 November 2023)

Total Marks: 1

For the power series; $f(x) = \sum_{n=0}^{\infty} (-1)^n \frac{x^{2n+1}}{(2n+1)!}$, $f'(x) = \dots$.

Select the correct option

Reload Math Equations

☐ $\sum_{n=1}^{\infty} (-1)^{n-1} \frac{x^{2n-2}}{(2n-2)!}$

☒ $\sum_{n=0}^{\infty} (-1)^{n-1} \frac{x^{2n}}{(2n)!}$

Click to Save Answer & Move to Next Question



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Quiz

For the sequence

A sequence of int

For the power ser

A fundamental pr

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MTH631 - Real Analysis II (Quiz # 1)

Quiz Start Time: 10:41 AM, 23 November 2023

Question # 4 of 10 (Start time: 10:43:38 AM, 23 November 2023)

Total Marks: 1

A fundamental property of the exponential function: that $(e^x)^{-1} = e^{-x}$.

Select the correct option

Reload Math Equations

False.



True.



Click to Save Answer & Move to Next Question

Type here to search



10:44 am

23/11/2023



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TA

Time Left 59 sec(s)

MTH631 - Real Analysis II (Quiz # 1)

Quiz Start Time: 10:41 AM, 23 November 2023

Question # 5 of 10 (Start time: 10:44:06 AM, 23 November 2023)

Total Marks: 1

For applying Weierstrass' M - test, which of the following can be taken as dominating series for the uniform convergence of $\sum_{n=1}^{\infty} \frac{e^{-2nx}}{4n^2 - 1}, x \geq 0$?

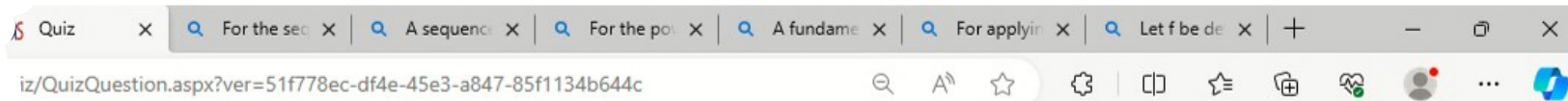
Reload Math Equations

Select the correct option

- | | |
|----------------------------------|-----------------------------|
| ☒ | $\sum \frac{1}{e^{-2nx}}$ |
| ☐ | ✓ $\sum \frac{1}{4n^2 - 1}$ |
| ☐ | $\sum \frac{1}{4n^2}$ |
| ☐ | $\sum \frac{1}{e^{2nx}}$ |

Click to Save Answer & Move to Next Question

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Time Left
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sec(s)

MTH631 - Real Analysis II (Quiz # 1)

Quiz Start Time: 10:41 AM, 23 November 2023

Question # 6 of 10 (Start time: 10:44:58 AM, 23 November 2023)

Total Marks: 1

Let f be defined by a power series with finite radius of convergence R . Then $\lim_{x \rightarrow (x_0 + R)^+} f(x) = \sum_{n=0}^{\infty} a_n R^n$ only if

Select the correct option

Reload Math Equations

- ☐ $\sum_{n=0}^{\infty} b_n R^n$ is convergent.
- ☒ $\sum_{n=0}^{\infty} a_n R^n$ converges.
- ☐ $\sum_{n=0}^{\infty} (-1)^n a_n R^n$ converges
- ☐ None of the above

Click to Save Answer & Move to Next Question



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For the s X

A sequer X

For the p X

A fundar X

For appl X

Let f be X

Let f be X

+

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MTH631 - Real Analysis II (Quiz # 1)

Quiz Start Time: 10:41 AM, 23 November 2023

Question # 7 of 10 (Start time: 10:45:49 AM, 23 November 2023)

Total Marks: 1

Let f be defined by a power series with finite radius of convergence R . Then $\lim_{x \rightarrow (x_0+R)^-} f(x) = \sum_{n=0}^{\infty} a_n R^n$ only if

Reload Math Equations

Select the correct option

 $\sum_{n=0}^{\infty} a_n R^n$ converges $\sum_{n=0}^{\infty} (-1)^n a_n R^n$ converges. $\sum_{n=0}^{\infty} b_n R^n$ is uniformly convergent.

None of these.

Click to Save Answer & Move to Next Question



Type here to search

10:46 am
23/11/2023

Question # 8 of 10 (Start time: 10:46:31 AM, 23 November 2023)

Total Marks: 1

Let $\{F_n(x)\}$ be a sequence of functions on $D \subseteq \mathbb{R}$, if to each $x \in D$ and to each $\varepsilon > 0$ there corresponds a positive integer m such that $|F_n(x) - F(x)| < \varepsilon \forall n \geq m$, then we say that $\{F_n(x)\}$ converges -----, to the function $F(x)$ on D .

[Reload Math Equations](#)

Select the correct option

Point-wise

☐

Uniformly

☒[Click to Save Answer & Move to Next Question](#)

Time Left 65 sec(s)

MTH631 - Real Analysis II (Quiz # 1)

Quiz Start Time: 10:41 AM, 23 November 2023

Question # 9 of 10 (Start time: 10:47:11 AM, 23 November 2023)

Total Marks: 1

If $\{f_n(x)\}$

is a sequence of functions defined on domain $D \subseteq \mathbb{R}$, then for $c \in D$ the sequence: $\{f_n(c)\} = \{f_1(c), f_2(c), f_3(c), \dots\}$ is a sequence of - - - - .

Reload Math Equations

Select the correct option

Natural numbers



Real numbers



Click to Save Answer & Move to Next Question

Time Left 66 sec(s)

MTH631 - Real Analysis II (Quiz # 1)

Quiz Start Time: 10:41 AM, 23 November 2023

Question # 10 of 10 (Start time: 10:47:55 AM, 23 November 2023)

Total Marks: 1

A power series is continuous and differentiable in

Select the correct option

Reload Math Equations

- ☐ in every interval $[x_0 - r, x_0 + r]$ such that $0 < r$.
- ☒ its interval of convergence.



Click to Save Answer & Move to Next Question

Question # 6 of 10 (Start time: 09:44:52 AM, 21 November 2023)

Total Marks: 1

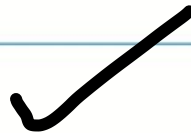
For $|x| \geq 1$, the series: $1 + x + x^2 + \dots + x^{n-1}$ ----- as $n \rightarrow \infty$.

Reload Math Equations

Select the correct option



diverges



converges



converges uniformly



converges pointwise



Click to Save Answer & Move to Next Question



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9:46 am
21/11/2023

Question # 7 of 10 (Start time: 09:46:18 AM, 21 November 2023)

Total Marks: 1

If $f(x) = \sum_{n=0}^{\infty} a_n (x - x_0)^n$, having $R > 0$ as a radius of convergence, and $f(x)$ is continuous and differentiable in its interval of convergence, then radius of convergence of $f'(x)$ is ----- .

[Reload Math Equations](#)

Select the correct option

☐ $R + h, h > 0$ ☒ also R ✓☐ $\frac{1}{R}, R \neq 0$ ☐ $R - h, h < 0$ [Click to Save Answer & Move to Next Question](#)

Question # 8 of 10 (Start time: 09:48:14 AM, 21 November 2023)

Total Marks: 1

The uniform convergence of the sequence of functions preserves

Reload Math Equations

Select the correct option

- ☐ continuity only
- ☐ continuity and differentiability
- ☐ integrability only
- ☒ continuity and integrability

Click to Save Answer & Move to Next Question

Time Left 68 sec(s)

MTH631 - Real Analysis II (Quiz # 1)

Quiz Start Time: 09:39 AM, 21 November 2023

Question # 9 of 10 (Start time: 09:49:00 AM, 21 November 2023)

Total Marks: 1

A power series is continuous and differentiable in

Select the correct option

Reload Math Equations

- ☒ its interval of convergence.
- ☐ in every interval $[x_0 - r, x_0 + r]$ such that $0 < r$.

Click to Save Answer & Move to Next Question

Question # 10 of 10 (Start time: 09:49:37 AM, 21 November 2023)

Total Marks: 1

Let f be defined by a power series with finite radius of convergence R . Then $\lim_{x \rightarrow (x_0 + R)^-} f(x) = \sum_{n=0}^{\infty} a_n R^n$ only if

Reload Math Equations

Select the correct option

☒ $\sum_{n=0}^{\infty} a_n R^n$ converges

☐ None of these.

☐ $\sum_{n=0}^{\infty} (-1)^n a_n R^n$ converges.

☐ $\sum_{n=0}^{\infty} b_n R^n$ is uniformly convergent.

Click to Save Answer & Move to Next Question

Question # 1 of 10 (Start time: 10:06:32 AM, 21 November 2023)
Total Marks: 1

For the sequence of functions $\{F_n(x)\}$ defined and converges pointwise as;
 $F_n(x) = \frac{nx}{1+n^2x^2}, x \in [0, 1]$, the value of $\lim_{n \rightarrow \infty} \|F_n(x) - F(x)\|_{[0,1]} \Rightarrow \{F_n(x)\}$ is ---, where $\lim_{n \rightarrow \infty} F_n(x) = F(x)$.

Select the correct option

[Reload Math Equations](#)

- ☒
 uniformly convergent
- ☐
 not uniformly convergent

[Click to Save Answer & Move to Next Question](#)

If the sequence of functions defined and converges pointwise as,

$$\lim_{n \rightarrow \infty} F_n(x) = \lim_{n \rightarrow \infty} \left(1 - \frac{x_n}{n}\right) = 1 = F(x), 0 \leq x \leq 1.$$

Then the value of $\sup_{x \in [0,1]} |F_n(x) - F(x)| = 0 \Rightarrow \{F_n(x)\}$ converges - - - .

[Reload Math Equations](#)

Select the correct option

☐ not uniformly☒ uniformly[Click to Save Answer & Move to Next Question](#)

MTH631 - Real Analysis II (Quiz # 1)

Quiz Start Time: 10:06 AM, 21 November 2023

Question # 3 of 10 (Start time: 10:08:24 AM, 21 November 2023)

Total Marks: 1

The power series expansion of $f(x) = \sin x$ about $x_0 = 0$ is

Reload Math Equations

☐ $\sum_{n=0}^{\infty} \frac{x^{2n+1}}{(2n+1)!}, \quad -\infty < x < \infty.$

☐ $\sin x = \sum_{n=0}^{\infty} (-1)^n \frac{x^{2n}}{(2n)!}, \quad -\infty < x < \infty,$

☒ $\sum_{n=0}^{\infty} (-1)^n \frac{x^{2n+1}}{(2n+1)!}, \quad -\infty < x < \infty,$

☐ $\sum_{n=0}^{\infty} \frac{x^{2n}}{(2n)!}, \quad -\infty < x < \infty,$

Click to Save Answer & Move to Next Question

Question # 4 of 10 (Start time: 10:10:14 AM, 21 November 2023)

Total Marks: 1

The limit function of the sequence of functions defined by $F_n(x) = x^n$, $x \in [0, 1]$, is -----

[Reload Math Equations](#)

Select the correct option

Continuous

☐

Discontinuous

☒ α [Click to Save Answer & Move to Next Question](#)

For applying Weierstrass' M - test, which of the following can be taken as dominating series for the uniform convergence of $\sum_{n=1}^{\infty} \frac{e^{-2nx}}{4n^2 - 1}, x \geq 0$?

Reload Math Equations

Select the correct option

- | | |
|----------------------------------|---------------------------|
| ☒ | $\sum \frac{1}{4n^2 - 1}$ |
| ☐ | $\sum \frac{1}{4n^2}$ |
| ☐ | $\sum \frac{1}{e^{2nx}}$ |
| ☐ | $\sum \frac{1}{e^{-2nx}}$ |

Click to Save Answer & Move to Next Question

Question # 6 of 10 (Start time: 10:11:49 AM, 21 November 2023)

Total Marks: 1

The limit function of the sequence $\{F_n(x)\}$ defined by;
 $F_n(x) = 1 + x + x^2 + \dots + x^{n-1}, x \in [0, 1]$ is ---- .

[Reload Math Equations](#)

Select the correct option



not defined



bounded



unbounded



discontinuous in the given domain

[Click to Save Answer & Move to Next Question](#)

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10:12 am
21/11/2023

Question # 7 of 10 (Start time: 10:13:00 AM, 21 November 2023)

Total Marks: 1

The condition of absolute convergence (pointwise or uniform) is ----- than the usual convergence(pointwise or uniform).

Select the correct option

stronger



weaker



Click to Save Answer & Move to Next Question



The method of testing the uniform convergence of a series $\sum f_j$ of functions by definition is hard because --- .

Select the correct option

 Reload Math Equations



finding the S_n (nth partial sum) is not always easy



checking continuity of each f_j is not an easy task

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Question # 9 of 10 (Start time: 10:14:34 AM, 21 November 2023)

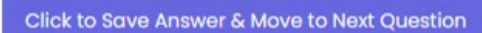
Total Marks: 1

The uniform convergence of the sequence of functions preserves

Reload Math Equations

Select the correct option

- ☒ continuity and integrability
- ☐ continuity only
- ☐ integrability only
- ☐ continuity and differentiability

Click to Save Answer & Move to Next Question

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10:15 am
21/11/2023

Question # 10 of 10 (Start time: 10:15:20 AM, 21 November 2023)

Total Marks: 1

A sequence of integrable functions converging uniformly to an integrable function, the limit of integrals is -----equal to the integral of limit function.

Select the correct option

necessarily



not



Click to Save Answer & Move to Next Question